

# Cosmology from galaxy clustering (in the SDSS)

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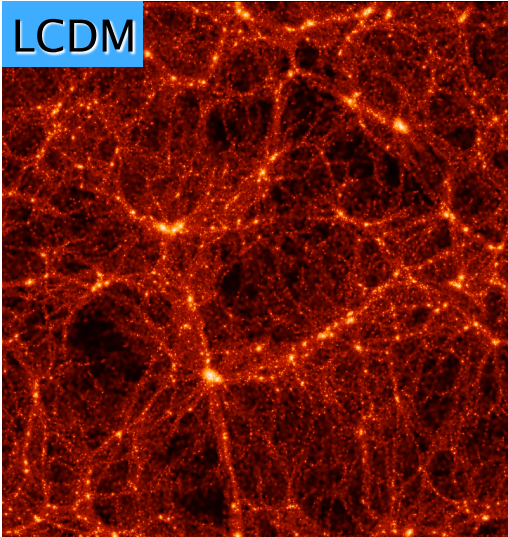
Chicago, Aug 17<sup>th</sup> 2008

# Introduction to galaxy clustering

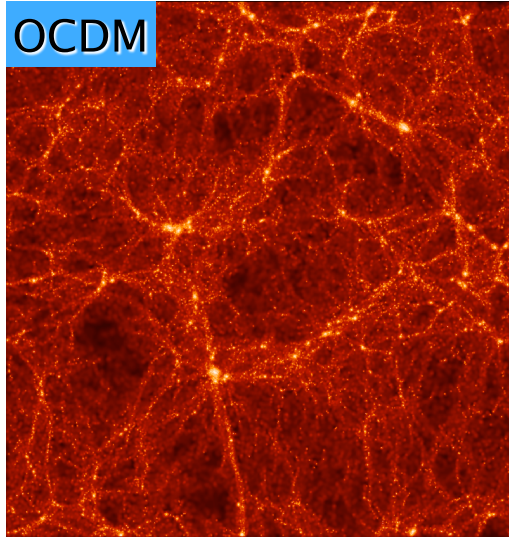
- If galaxy overdensity field is Gaussian
  - 2-pt statistics (counting pairs) are complete
  - can use either  $\xi(r)$  (configuration space)
  - or power spectrum  $P(k)$  (Fourier space)
- Theory predicts linear mass power spectrum
  - shape depends on  $\Omega_m h$
  - BAO depend on  $\Omega_b/\Omega_m$
- But we observe galaxies
  - do not form a Poisson sampling of the mass
  - are “biased”
- We calculate galaxy distances from redshifts
  - complicates analysis
  - peculiar velocity misinterpreted as recession velocity

# The power spectrum shape

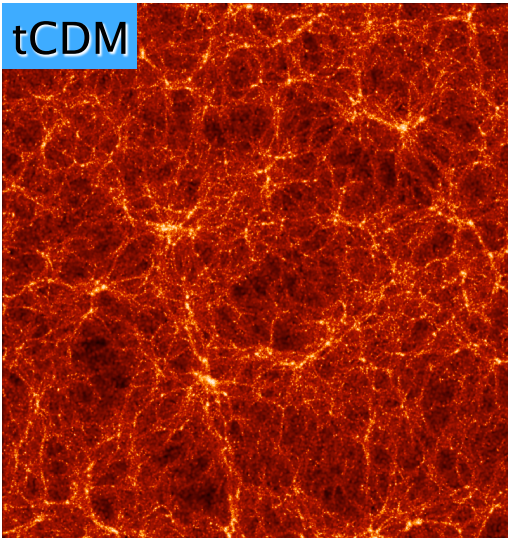
LCDM



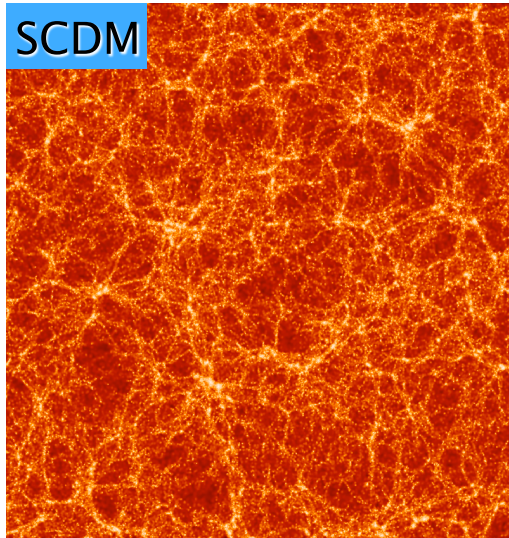
OCDM



tCDM

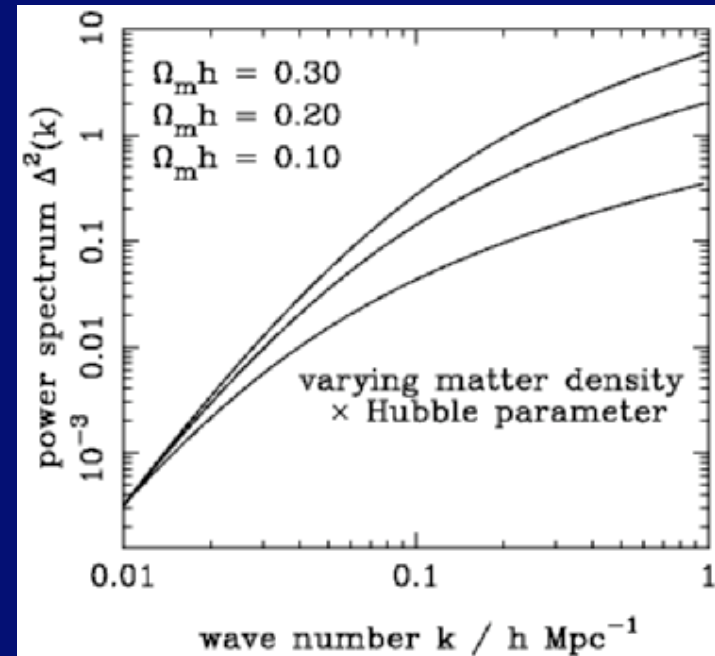


SCDM



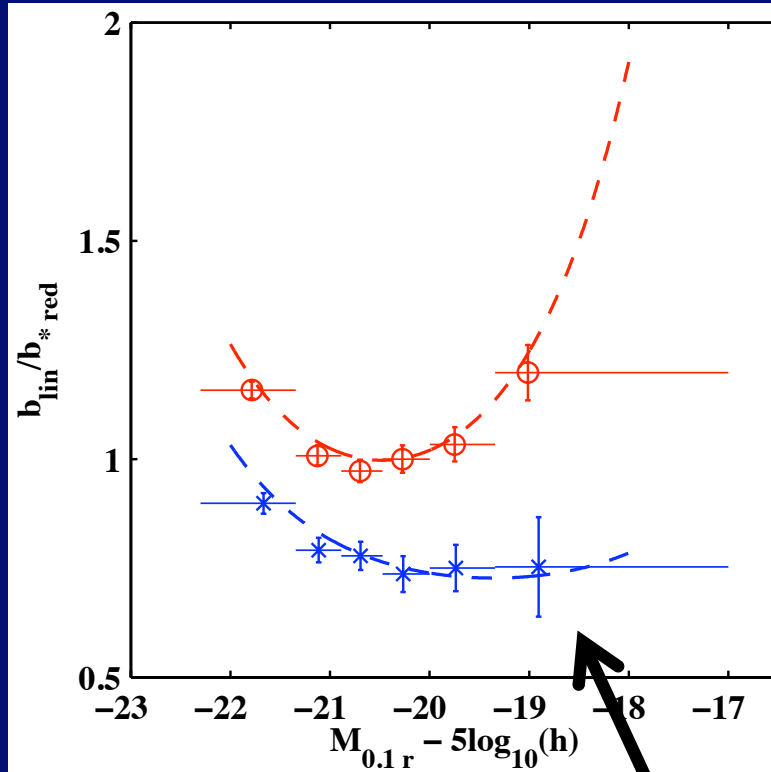
credit: VIRGO consortium

During radiation domination, pressure support means that small perturbations cannot collapse.

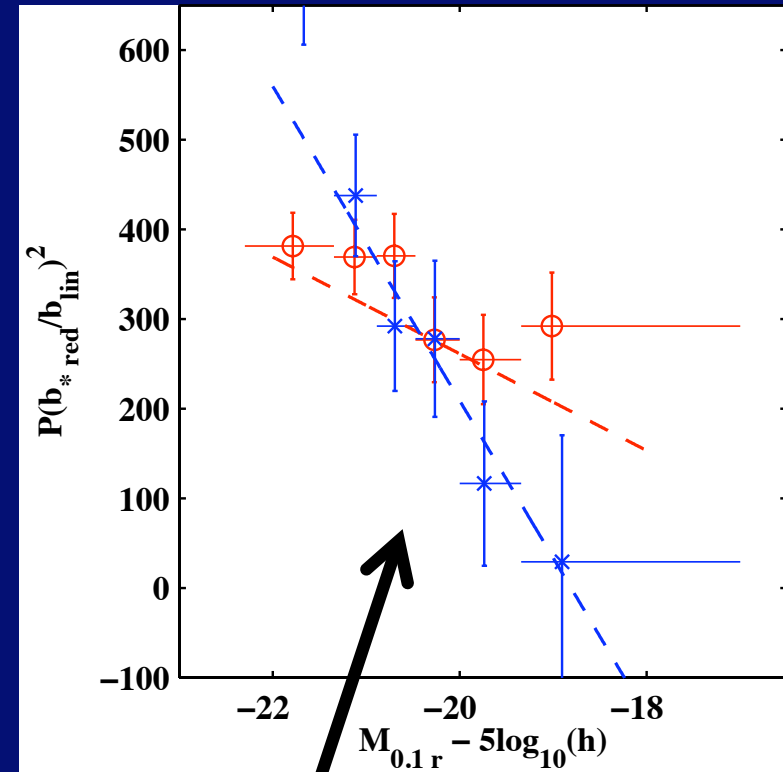


In principle, can measure  $\Omega_M h$  from shape of power spectrum, or use as standard ruler

# Problem: galaxy-bias



Function of galaxy  
color and luminosity



Function of galaxy  
color and luminosity

$$P_g(k) = b_{\text{lin}}^2 P_{\text{lin}}(k) + P$$

See poster by James Cresswell at this conference, astro-ph/0808.1101

# BAO from the galaxy distribution

BAO measurements linked to physical BAO scale through:

Radial direction

$$\frac{c}{H(z)} \Delta z$$

Angular direction

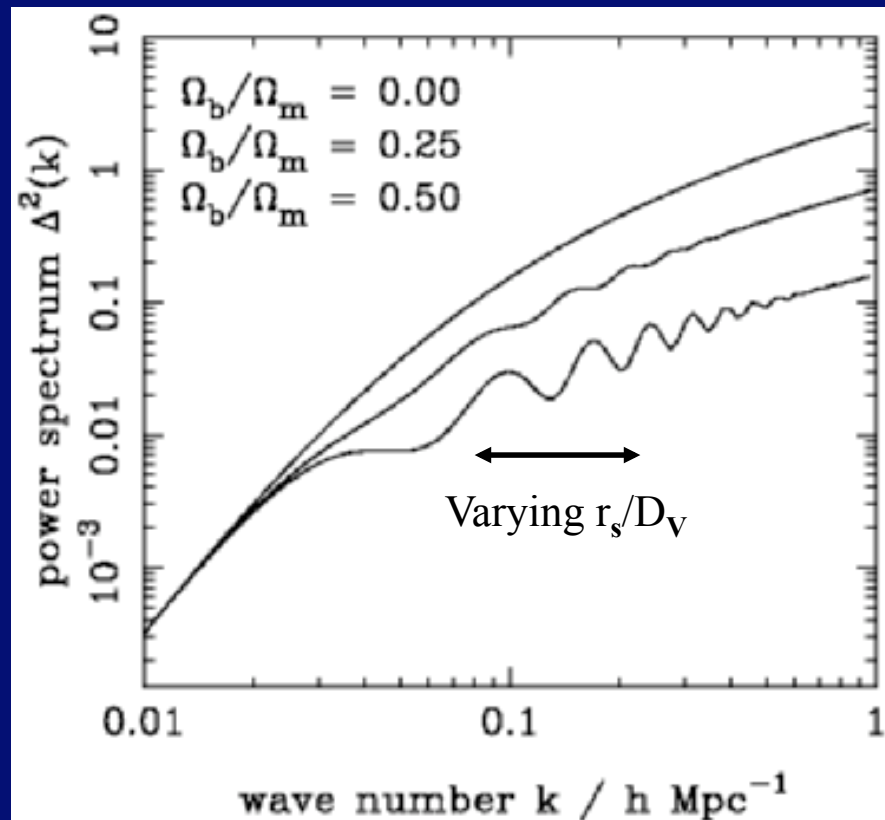
$$(1+z) D_A \Delta \theta$$

To first order, random pairs depend on

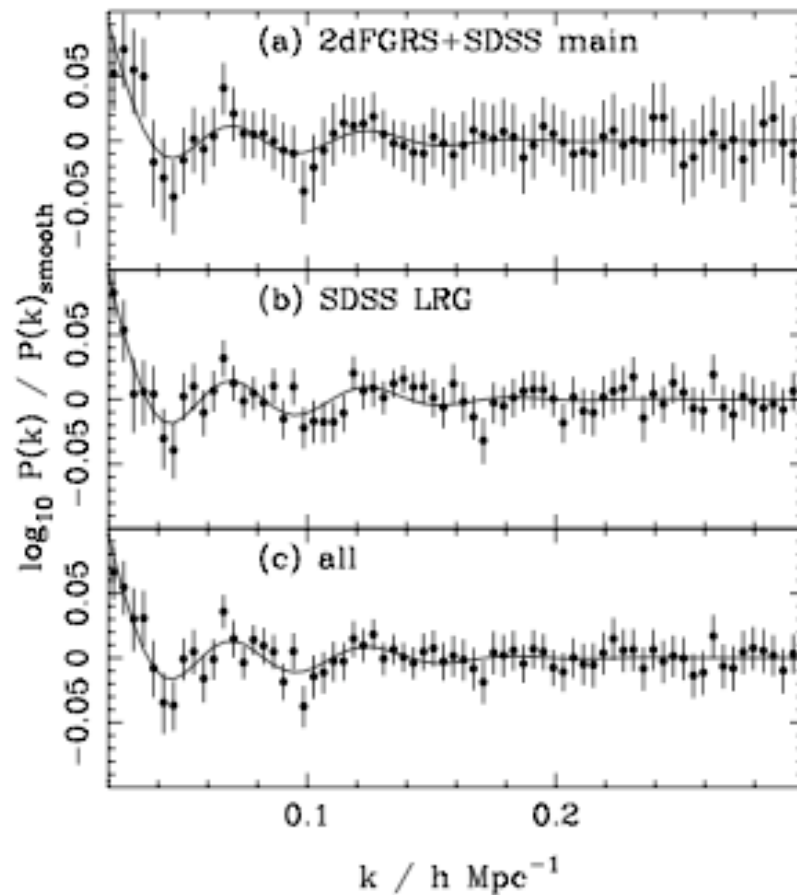
$$D_V = \left[ (1+z)^2 D_A^2(z) \frac{cz}{H(z)} \right]^{1/3}$$

Observed BAO position therefore constrains some multiple of

$$\frac{r_s}{D_V}$$



## BAO from the 2dFGRS + SDSS

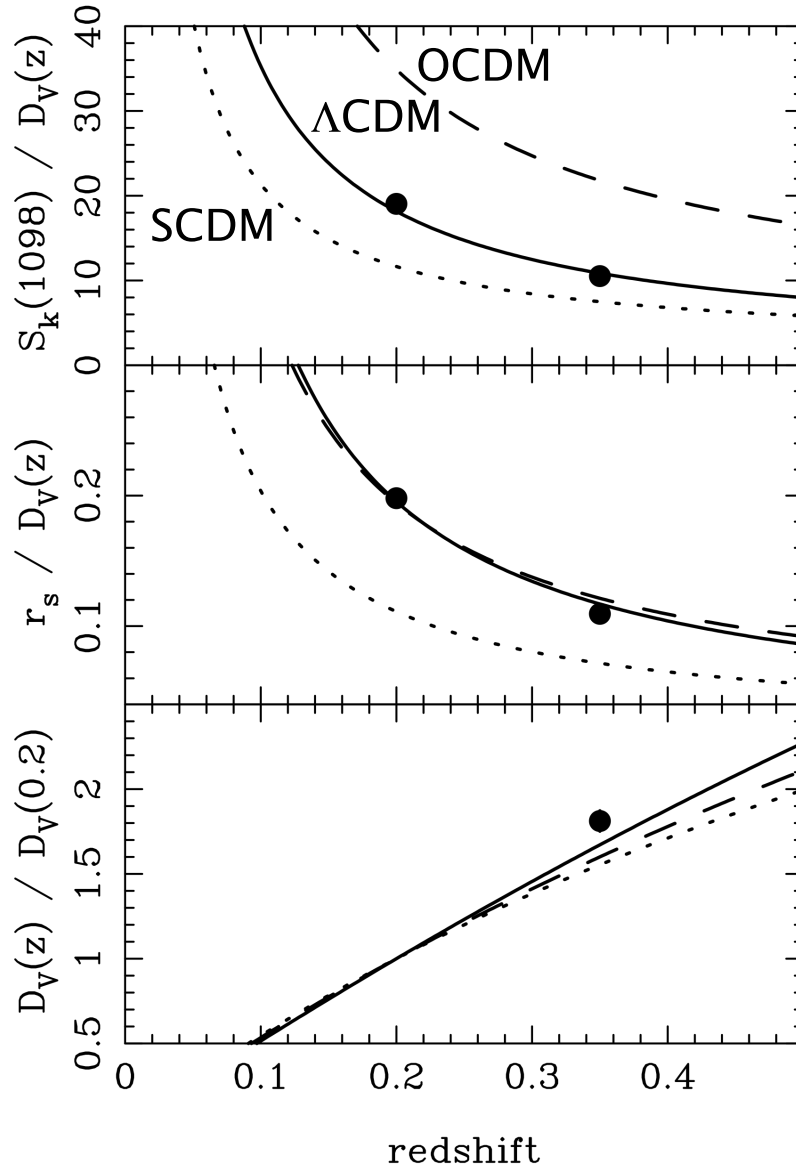


BAO detected at  $z \sim 0.2$

BAO detected at  $z \sim 0.35$

BAO from combined  
sample

# BAO distance scale measurements



including  $r_s/d_A(\text{cmb})=0.0104$ ,

$$D_V(0.2)/d_A(\text{cmb}) = 0.0525 \pm 0.0016$$

$$D_V(0.35)/d_A(\text{cmb}) = 0.0951 \pm 0.0029$$

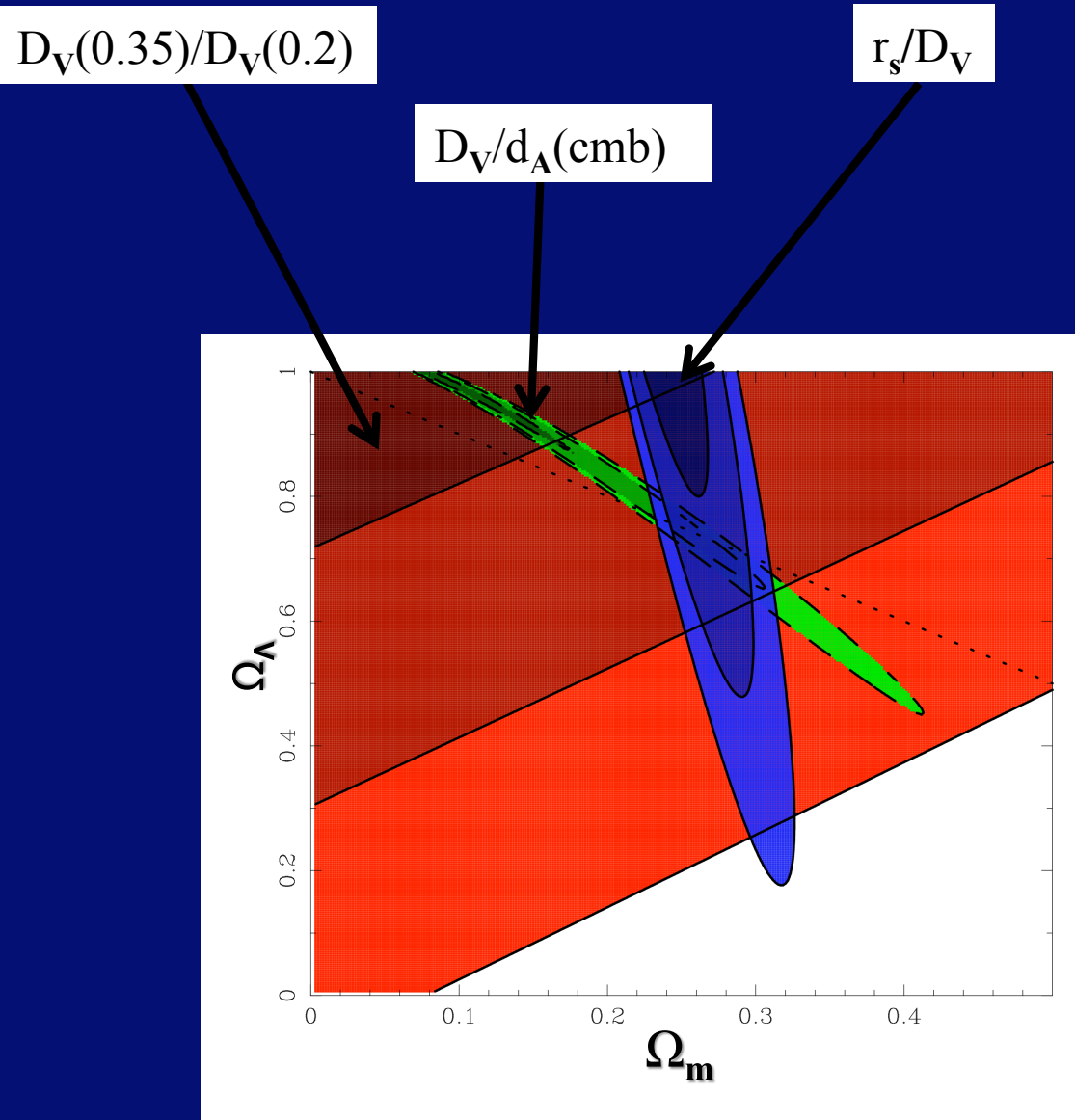
$$r_s/D_V(0.2) = 0.1980 \pm 0.0060$$

$$r_s/D_V(0.35) = 0.1094 \pm 0.0033$$

$$D_V(0.35)/D_V(0.2) = 1.812 \pm 0.060$$

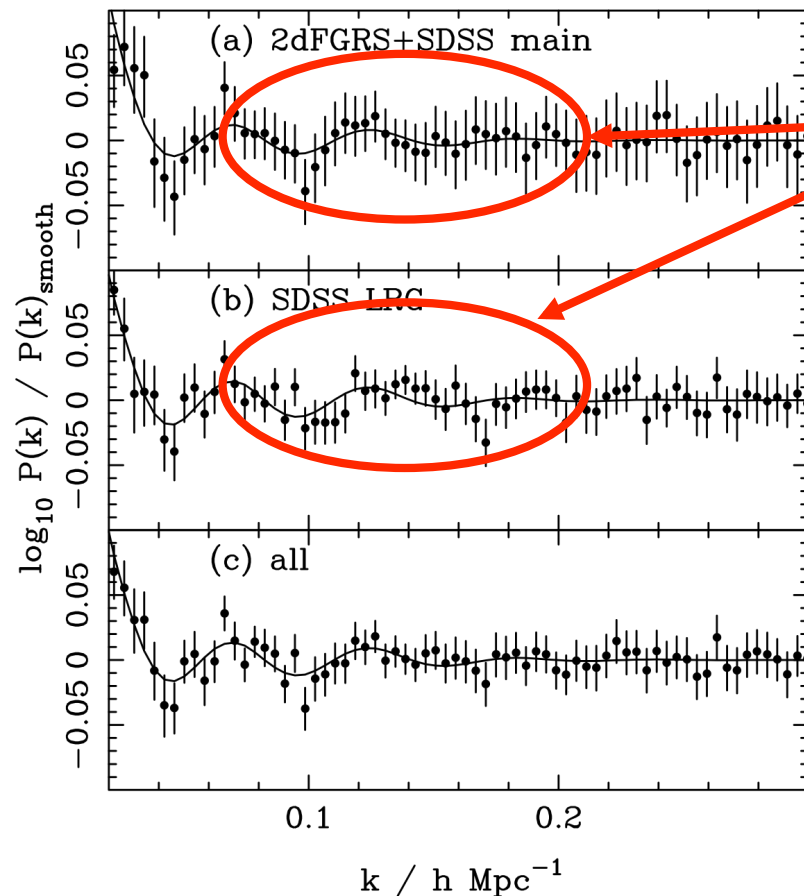


# Cosmological constraints on $\Lambda$ CDM models





## Discrepancy with $\Lambda$ CDM?



LRG BAO on too small  
 scales: further away  
 than expected, so more  
 acceleration between  
 $z=0.2$  and  $0.35$

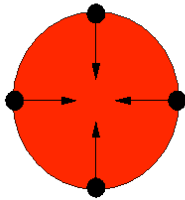
Distance ratio found is  
 $D_V(0.35)/D_V(0.2) = 1.812 \pm 0.060$

CDM expects  
 $D_V(0.35)/D_V(0.2) = 1.67$

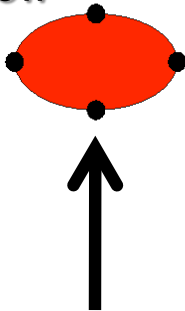
Discrepancy is  $2.4\sigma$

# Linear redshift-space distortions

Actual shape



Apparent shape  
from below



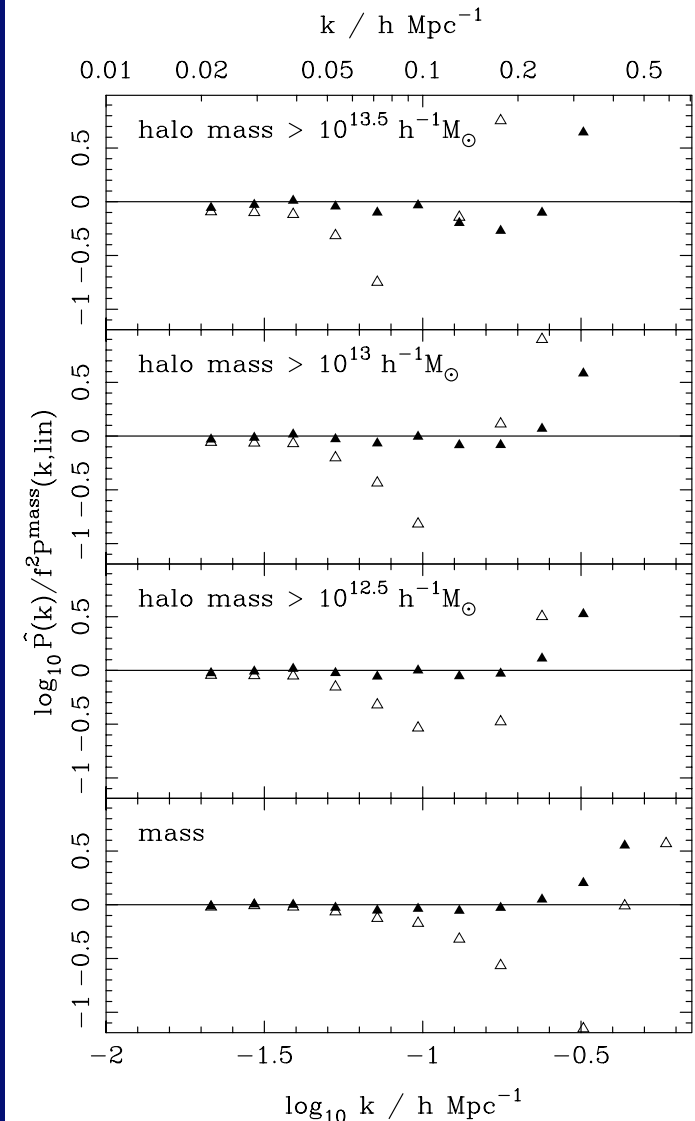
Galaxies act as test particles  
in matter velocity field

Any two galaxies would  
have the same velocity at  
the same location

Can construct an estimator  
for the **mass** power  
spectrum multiplied by  $f^2$

$$\hat{P}(k) = \frac{7}{48} \left[ 5(7P_0 + P_2) - \sqrt{35}(35P_0^2 + 10P_0P_2 - 7P_2^2)^{1/2} \right]$$

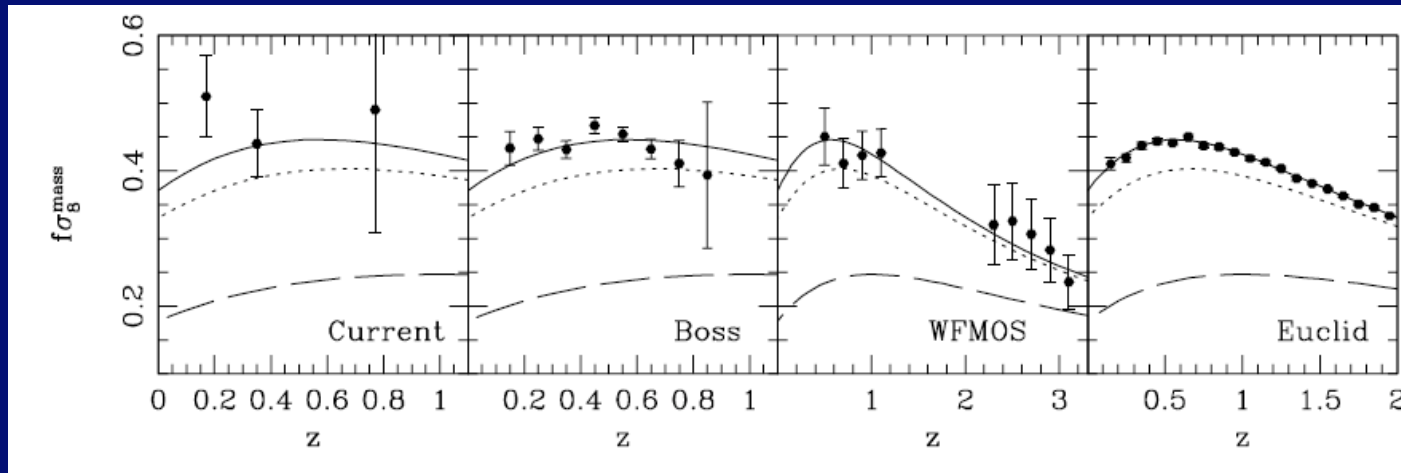
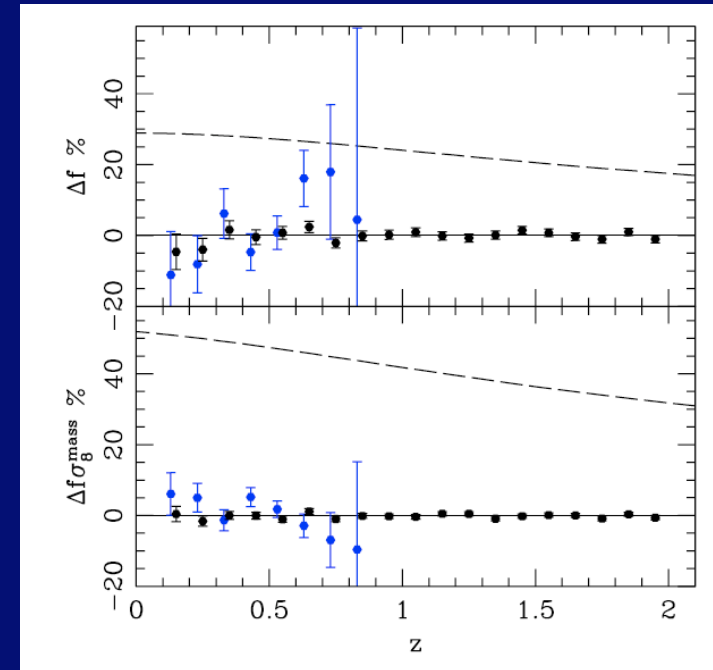
Percival, White, 2008, astro-ph/0808.0003



# Testing General Relativity

Redshift-space distortions constrain  $f\sigma_8$ , which is as good a test of GR as  $f$

$$f \equiv \frac{d \log D}{d \log a} \quad f\sigma_8 \propto \frac{dD}{d \log a}$$



## Conclusions

- Galaxy clustering allows us to test cosmological models in many ways
- Smooth shape of the power spectrum?
  - degenerate with galaxy bias
  - can tell us about galaxy formation
  - SDSS data shows that galaxy bias is a strong function of luminosity and color (see Cresswell poster)
- Baryon acoustic oscillations
  - avoids (almost all of) galaxy bias
  - shown to work as a function of redshift using SDSS
- Redshift-space distortions
  - avoids density bias completely
  - get “for free” for spectroscopic BAO surveys (eg. BOSS)
  - structure formation test so complementary to geometrical tests
  - similar to weak lensing but tests temporal metric fluctuations